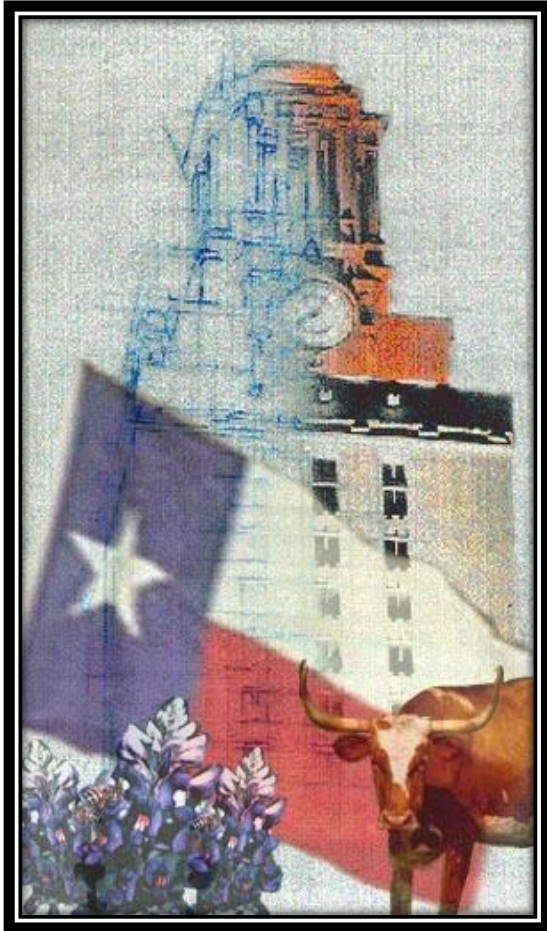


# Building a Framework for Predicting Foundation Settlements on Granular Soil with Dynamically Measured Properties



**Dr. Onur Kacar**  
**PRC Company**

**Prof. Kenneth H. Stokoe, II**  
**Univ. of Texas at Austin**

**Dr. Kwangsoo Park**  
**Samsung Heavy Industries Co., Ltd.**

**Stiffness-Based Ground  
Deformation Prediction Workshop  
Seattle, WA  
November 5, 2018**

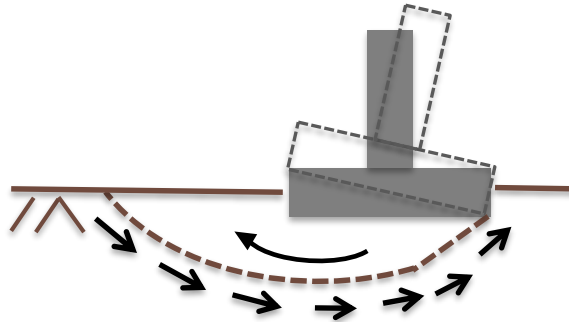
# 1. Outline

1. Present a brief background on field and laboratory seismic measurements.
2. Discuss a new framework for predicting settlements using dynamic soil properties.
3. Present a new approach to characterizing liquefiable soils in the field.
4. Show advances in dynamic torsional resonant column and cyclic torsional shear testing in the laboratory to evaluate parameters that effect  $V_s$  and  $G$ .
5. “Mention” two additional important areas of research.
6. Conclusions

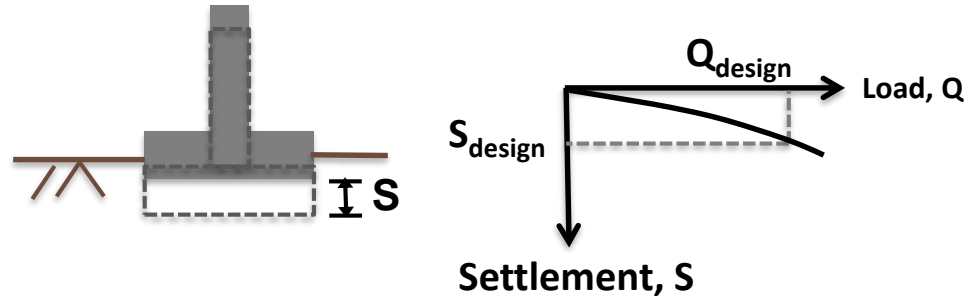
# 1. Background - Shallow Foundations on Granular Soil

## Main Design Criteria

1. Bearing Capacity:  $Q_{\text{design}} = Q_{\text{ult}} / \text{F.S.}$



2. Permissible Settlement:  $S \leq S_{\text{design}}$   
(Typically Controls)



### Approach

- Limit equilibrium analysis
- Requires strength parameters ( $\phi'$  and  $c'$ )

### Traditional Approach

- Based on SPT and CPT correlations
- Soil sampling is hard and/or expensive in granular soil so rarely performed
- Stresses and strains are undefined

### New Framework

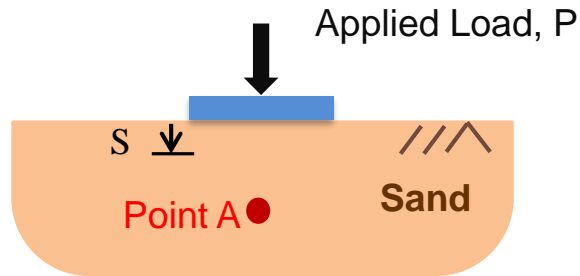
- Deformation-based analysis
- Stresses and strains are calculated
- Key factor is field  $V_s$  measurements

## 2. New Framework for Settlement Predictions under Working Loads Using Dynamic Soil Properties

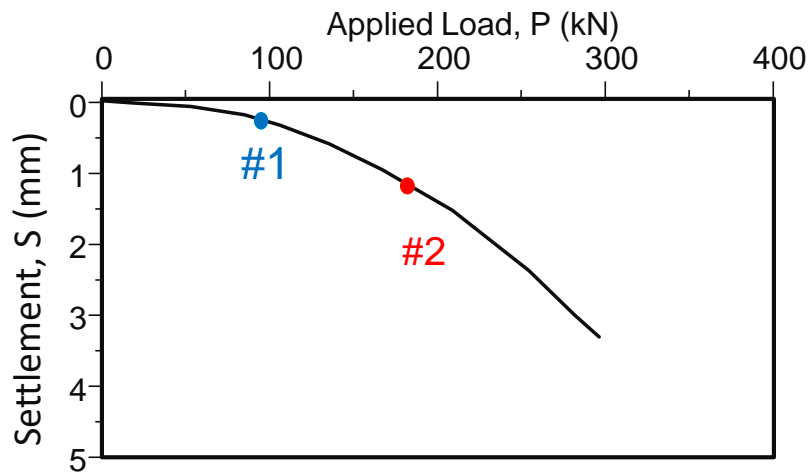
### Framework:

- Requires Stiffness Parameters
- $G$  Changing with  $\gamma$  and  $\sigma$
- $\nu$  Changing with  $\gamma$  (but presently assumed  $\nu = \text{constant}$ )

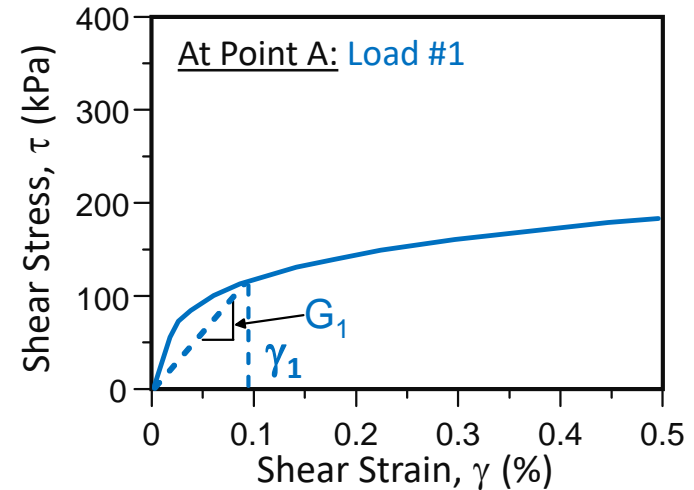
### 1. Loading Applied



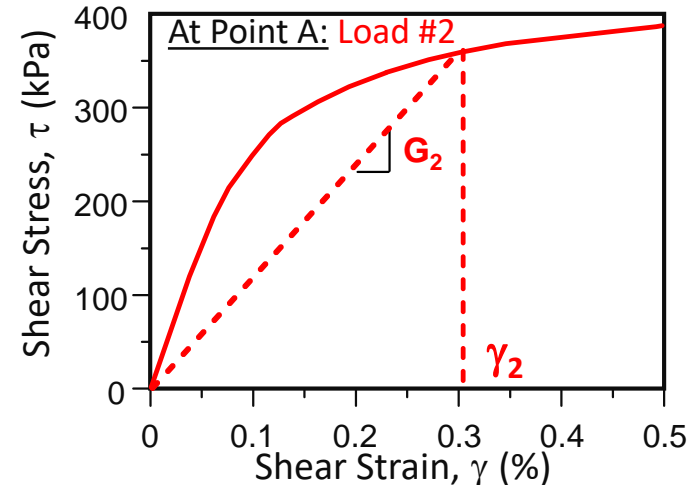
### 2. Load - Settlement Curve



### 3. Stress - and Strain - Dependent Moduli, **Load #1:**

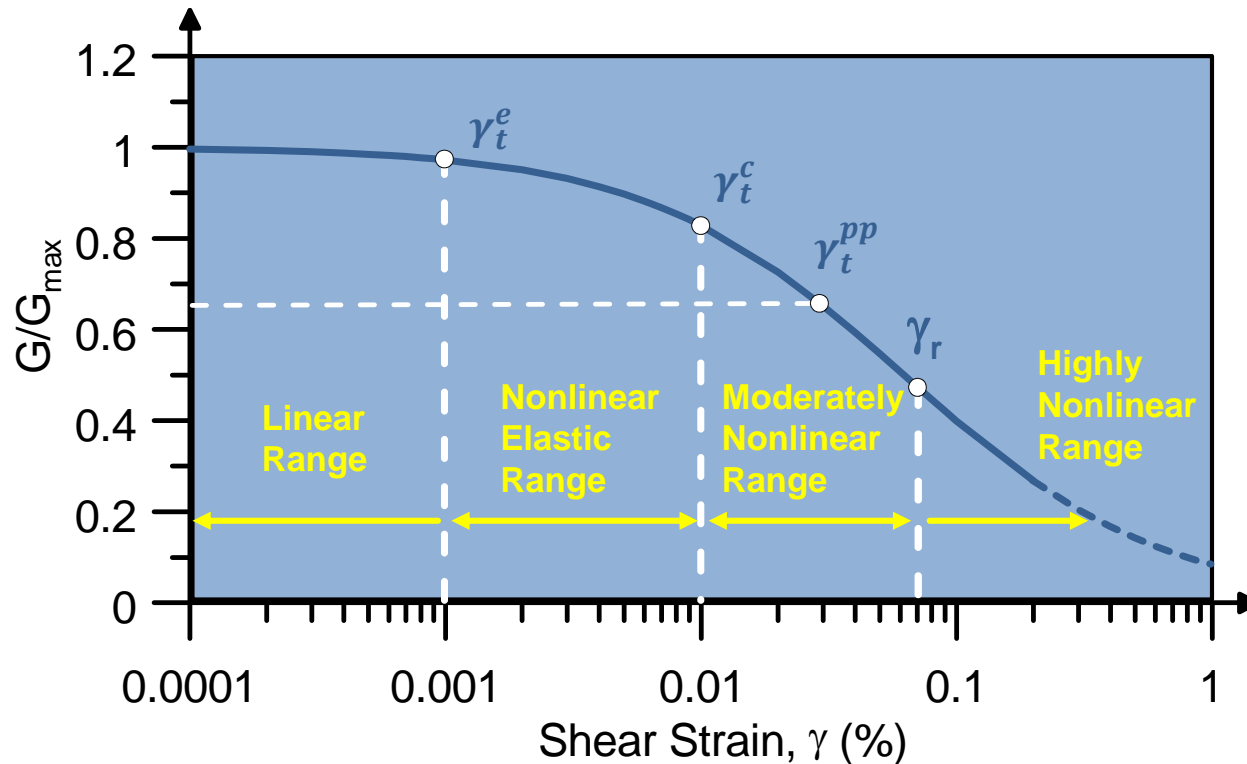


### 4. Stress - and Strain - Dependent Moduli, **Load #2:**



# Background Information on Dynamic Soil Properties

## $G/G_{\max}$ - $\log \gamma$ Relationships



$\gamma_t^e$  = elastic threshold

$\gamma_t^c$  = cyclic threshold

$\gamma_t^{pp}$  = pore-pressure threshold

$\gamma_r$  = reference strain  
(where  $G/G_{\max} = 0.5$ )

Laboratory tests methods (torsional resonant column) made it possible to measure strains over a wide strain range beginning in the linear range and extending somewhat into the highly nonlinear range ( $\gamma \sim 0.2$  to  $0.3\%$ ).

# Background Information on Dynamic Properties of Granular Soils

## Linear (Small-Strain) Range

$$G_{max} = f(C_U, D_{50}, e, \sigma'_0)$$

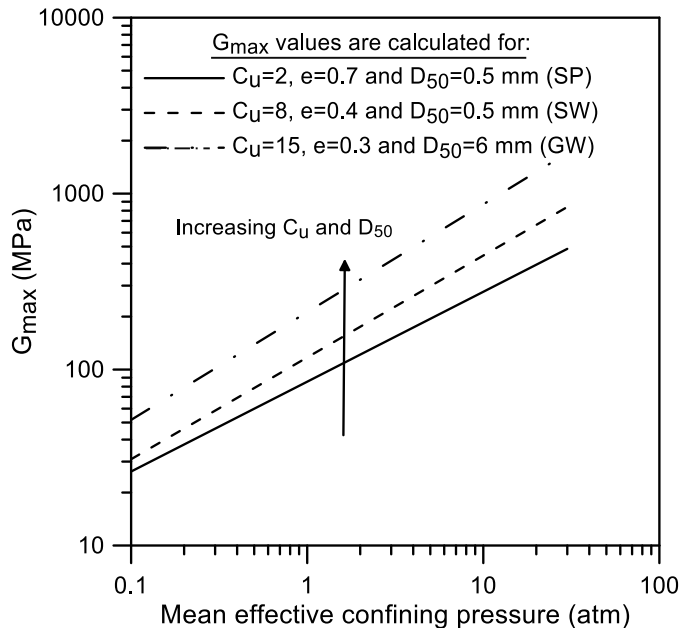
$$G_{max} = G_{max\_1atm} \cdot \left( \frac{\sigma'_0}{P_a} \right)^{n_G}$$

where:

$G_{max\_1atm}$  = small-strain shear modulus at  $\sigma'_0 = 1$  atm

$n_G$  = exponent of normalized confining pressure, and

$P_a$  = atmospheric pressure.



## Linear, Nonlinear-Elastic, and Moderately Nonlinear Ranges

$$G/G_{max} - \log \gamma \rightarrow$$

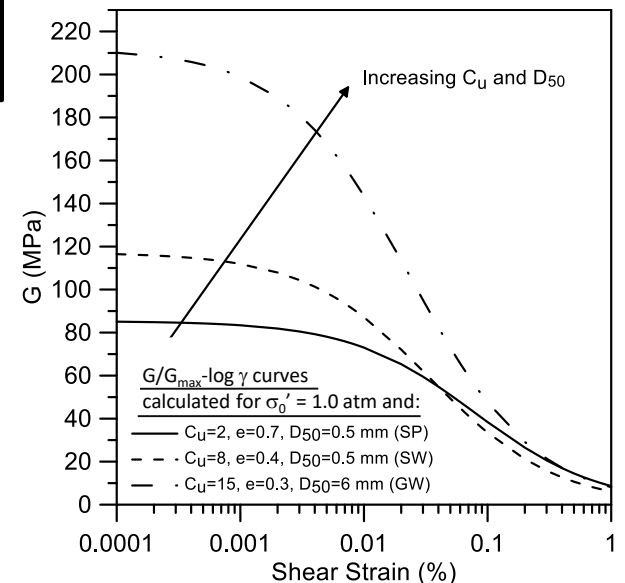
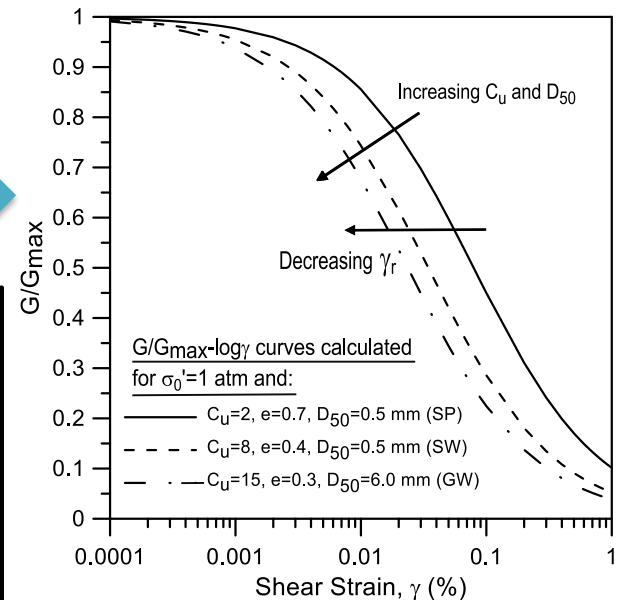
### Modified Hyperbolic Model

$$G/G_{max} = \frac{1}{1 + \left( \frac{\gamma}{\gamma_r} \right)^a}$$

where:

$\gamma_r = \gamma$  at  $G/G_{max} = 0.5$ ,  
and  
 $a$  is curvature coefficient.

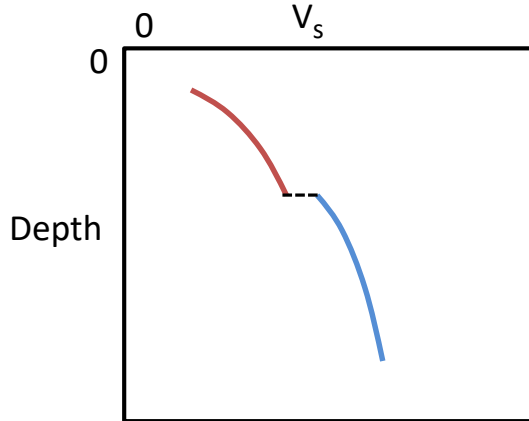
$$G - \log \gamma \rightarrow$$



### 3. Modeling with Dynamically Measured Soil Properties (MoDaMP)

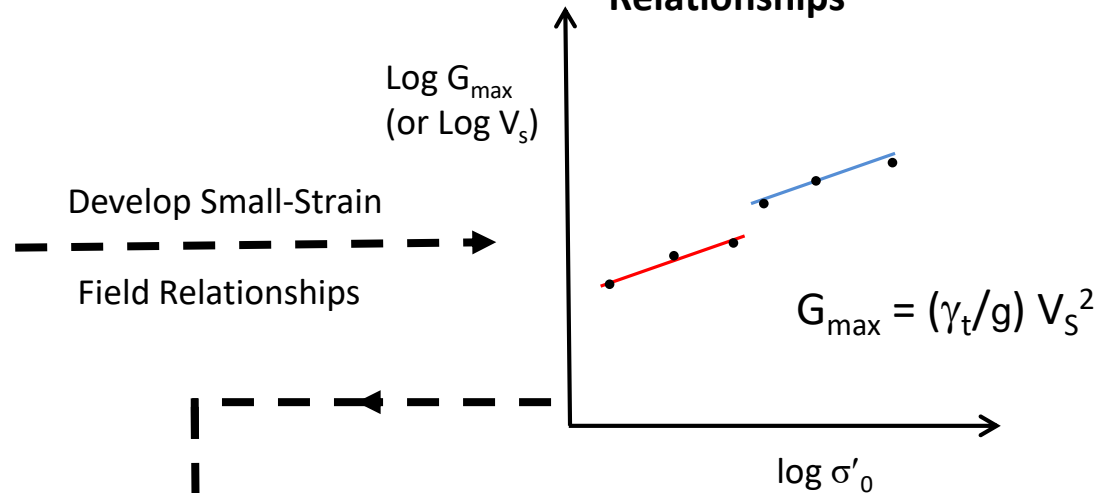
#### Step # 1 - Field Seismic Testing for $V_s$ -

##### Depth Profile

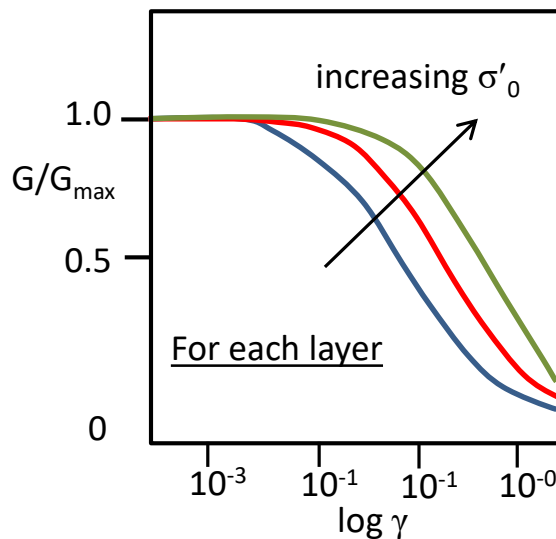


#### Step # 2 - Field $\log G_{\max} - \log \gamma$

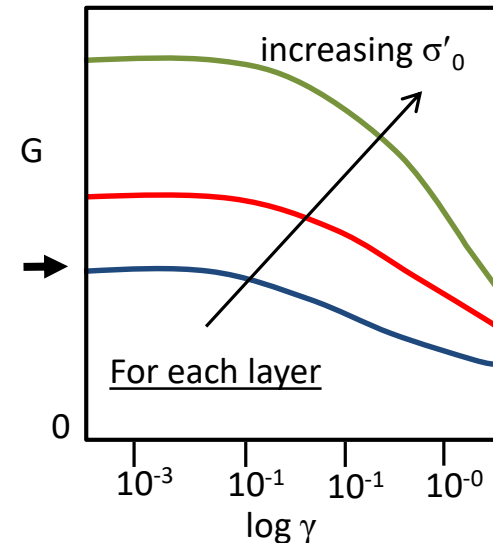
##### Relationships



#### Step # 3 - Dynamic Laboratory Tests for $G/G_{\max} - \log \gamma$ Relationships

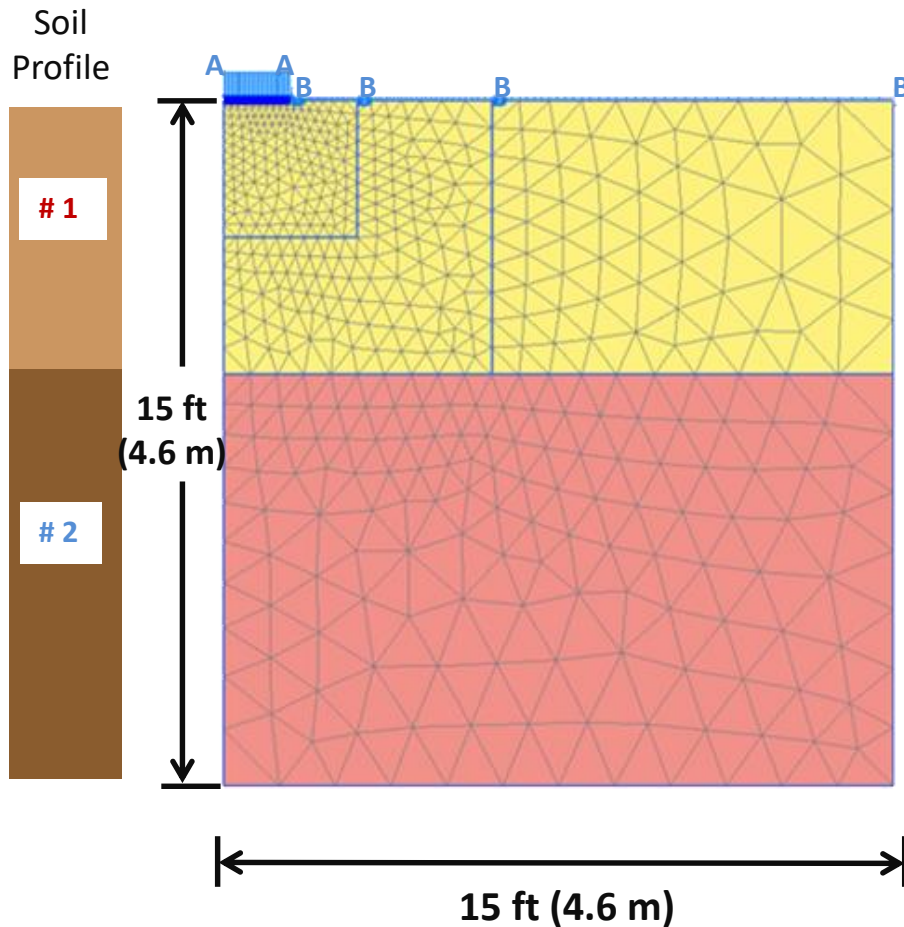


#### Step # 4 - Combine Field Seismic and Dynamic Laboratory Tests for $G - \log \gamma$ Relationships



Combine

# PLAXIS Finite Element Model with MoDaMP



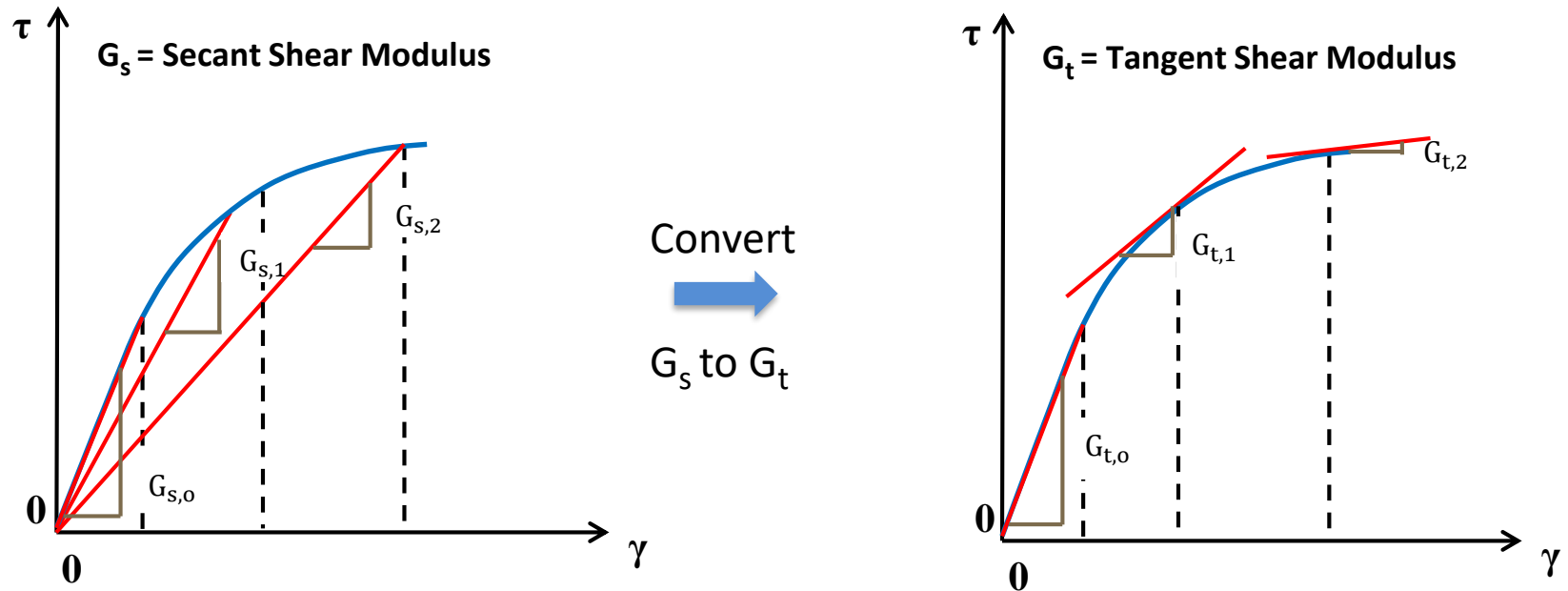
	Layer 1	Layer 2
$G_{\max\_1atm}$	1827 ksf	1980 ksf
$v_0$	0.3	0.3
$a$	1.00	1.00
$\gamma_r(\%)$	* Equation 6.3	* Equation 6.3

\* Equation 6.3:  $\gamma_r = 0.0200 \log \left( \frac{\sigma_0}{p_a} \right) + 0.0277$

- 946, 15-node triangular elements.
- 15 x 15 ft (4.6 x 4.6 m) dimensions.
- Footings are modeled as flexible.
- Axisymmetric model.
- The lower boundary is fixed in both directions.
- The vertical boundaries are fixed only in the horizontal direction.



# Modeling with Dynamically Measured Soil Properties (MoDaMP)



Using  $G$  values and Poisson's ratio, the elastic stiffness matrix is created

$$\begin{bmatrix} d\sigma_{xx} \\ d\sigma_{yy} \\ d\sigma_{zz} \\ d\sigma_{yz} \\ d\sigma_{zx} \\ d\sigma_{xy} \end{bmatrix} = \frac{2G_t}{(1-2\nu)} \begin{bmatrix} 1-\nu & \nu & \nu & 0 & 0 & 0 \\ \nu & 1-\nu & \nu & 0 & 0 & 0 \\ \nu & \nu & 1-\nu & 0 & 0 & 0 \\ 0 & 0 & 0 & (1-2\nu)/2 & 0 & 0 \\ 0 & 0 & 0 & 0 & (1-2\nu)/2 & 0 \\ 0 & 0 & 0 & 0 & 0 & (1-2\nu)/2 \end{bmatrix} \begin{bmatrix} d\varepsilon_{xx} \\ d\varepsilon_{yy} \\ d\varepsilon_{zz} \\ 2d\varepsilon_{yz} \\ 2d\varepsilon_{zx} \\ 2d\varepsilon_{xy} \end{bmatrix}$$

# Verification of MoDaMP in the Elastic Range

MoDaMP was verified by predicting settlements of a rigid, circular footing on an elastic half-space.

1. From elastic theory (Richart et al., 1970):

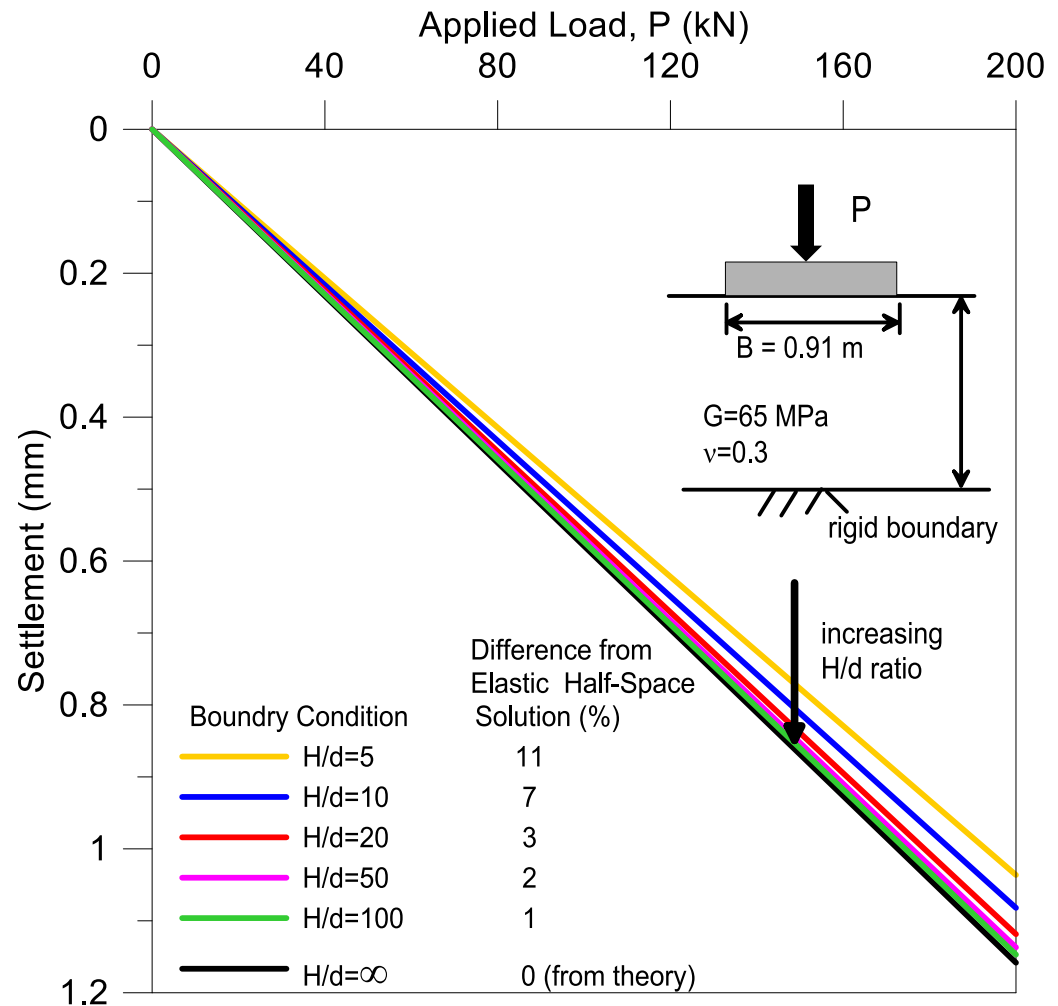
$$S = P \frac{1 - \nu}{2GB}$$

$S$  = the settlement,  
 $P$  = the applied load and  
 $B$  = is the footing diameter

2. New framework implemented in PLAXIS:

Using MoDaMP with

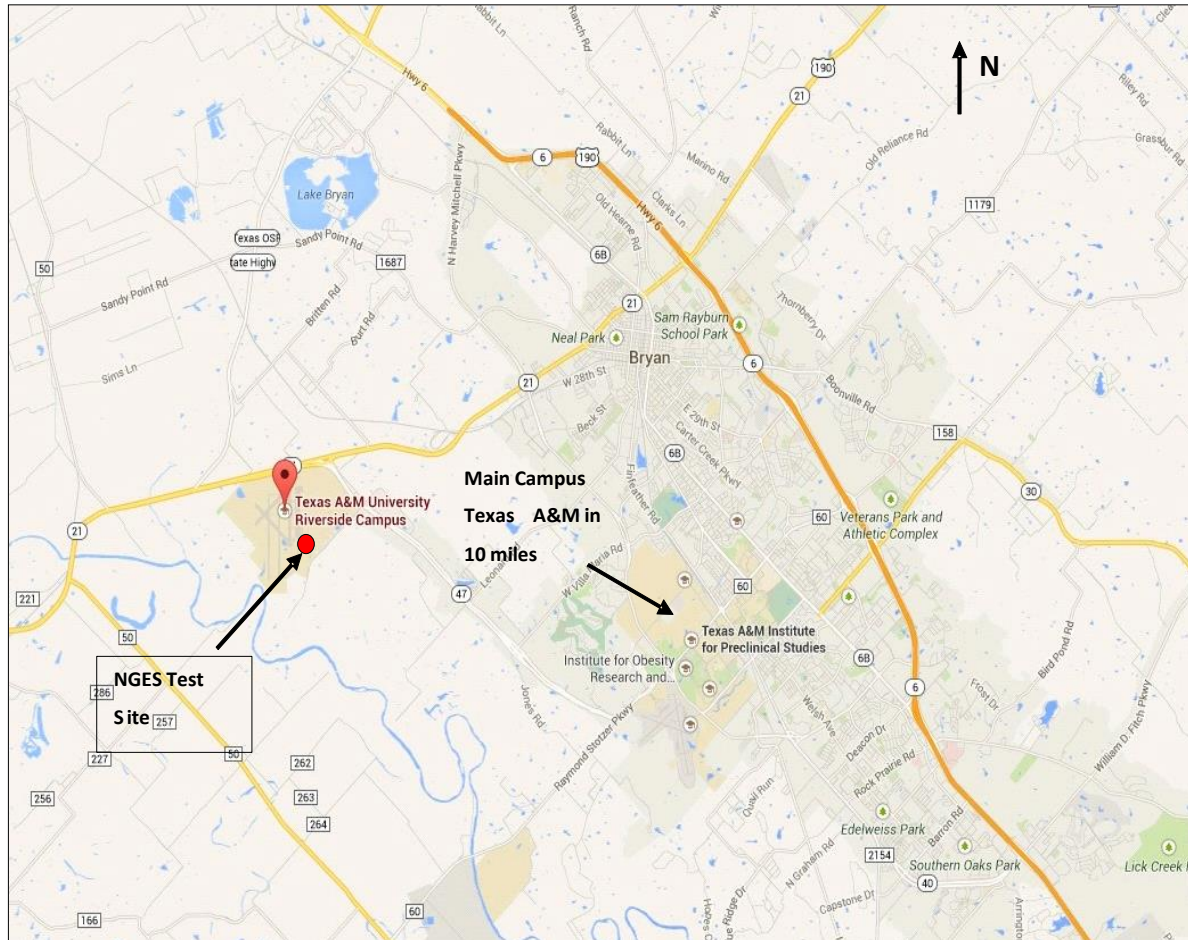
$\gamma_r = 1000\%$ ,  
 $\alpha = 1.0$  and  
 $n_G = 0.0$



## 4. Prediction Study:

# Load-Settlement Tests at the NGES\* Test Site

Developed at Texas A&M University

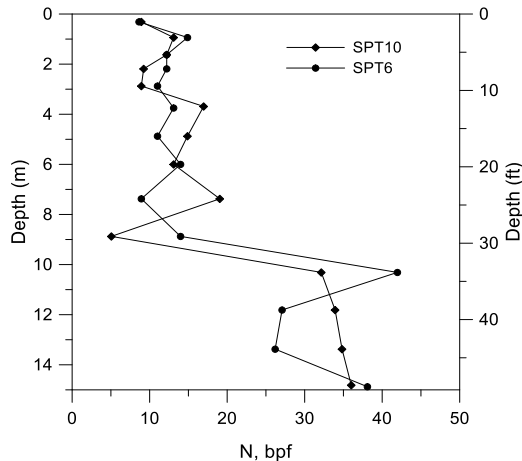


\*NGES = National Geotechnical Experimentation Site

# Characterization of the NGES Test Site

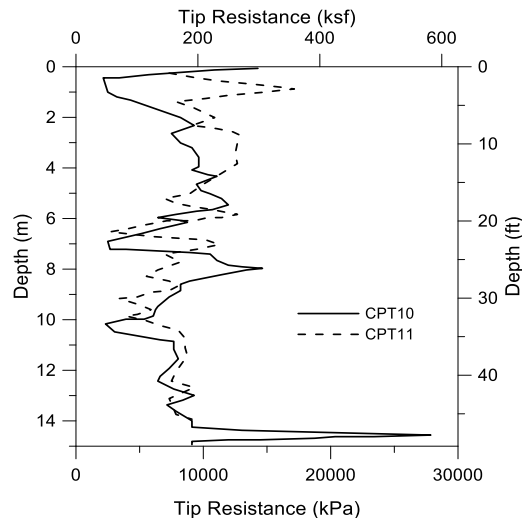
## Field Penetration Testing and Field Seismic Testing

### Traditional Field Testing



#### SPT

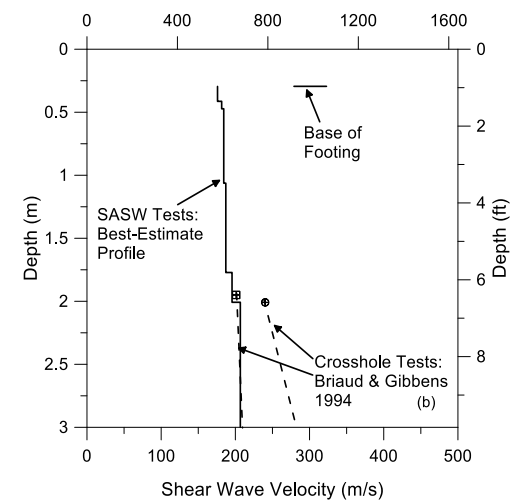
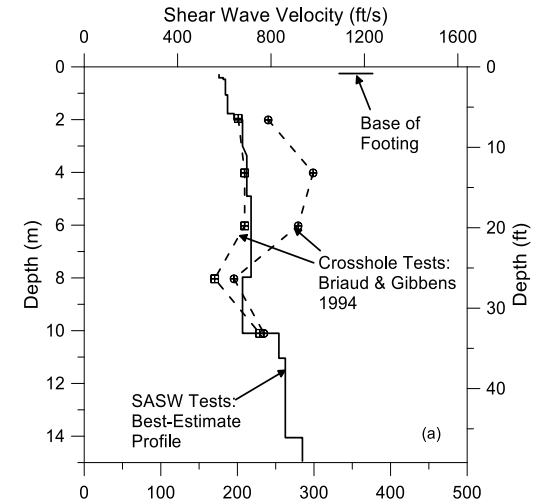
- Energy efficiency on average 53% (Briaud and Gibbens, 1994).
- $N_{avg} \sim 12$  between 3.5 ft and 30 ft.



#### CPT

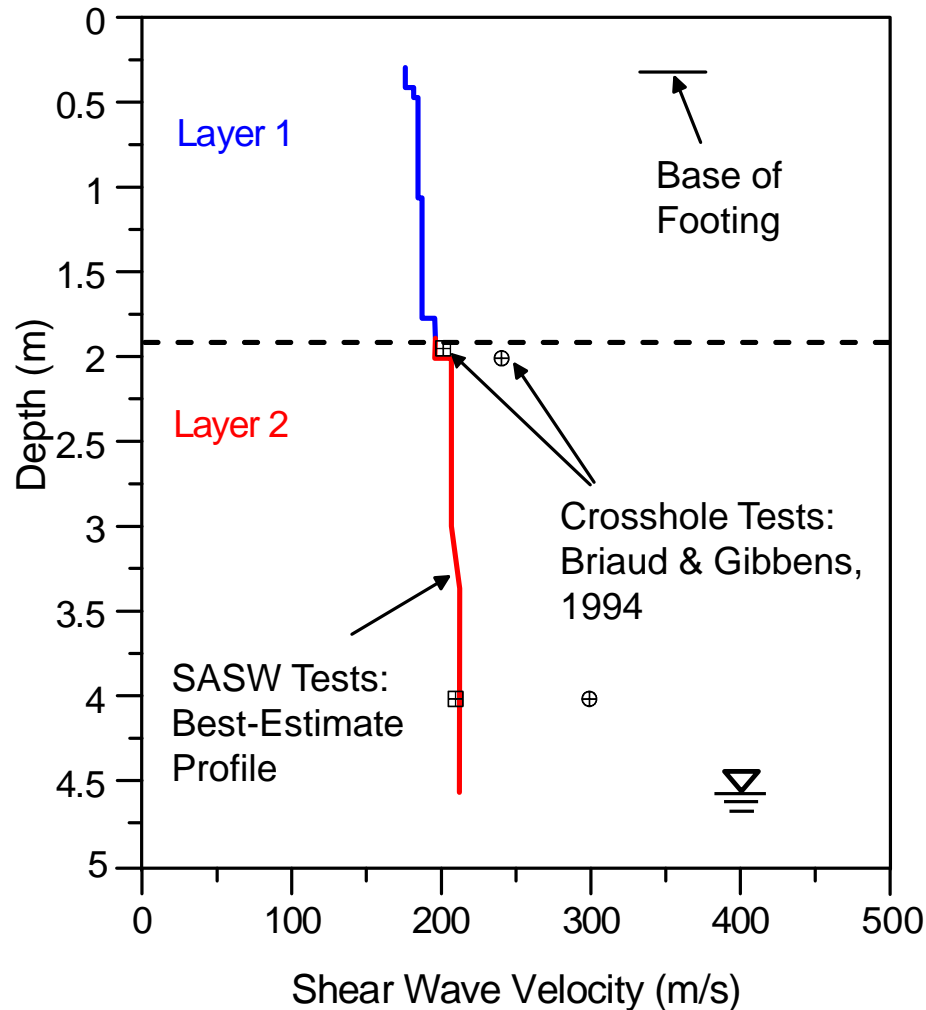
- Five soundings were performed.
- Two representative  $q_{tip}$  shown.

### SASW (Park et al., 2009)

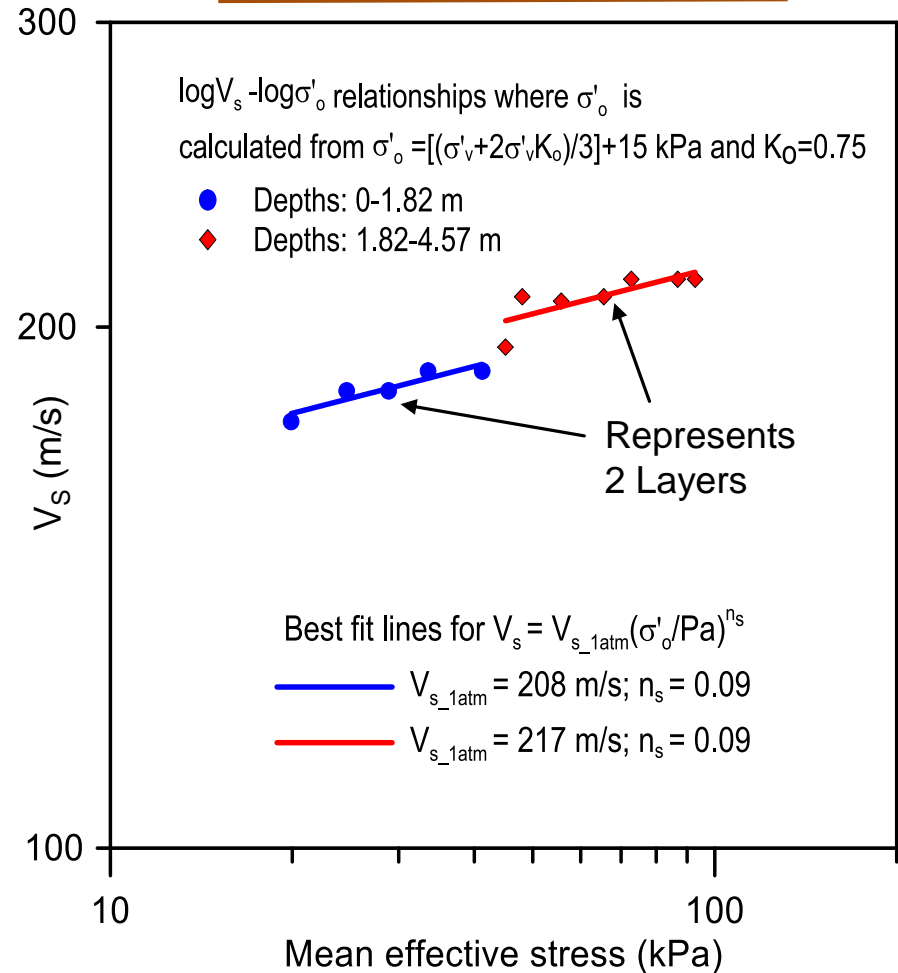


# Characterization of the NGES Test Site

## $V_s$ – Depth Profile from Field Seismic Testing



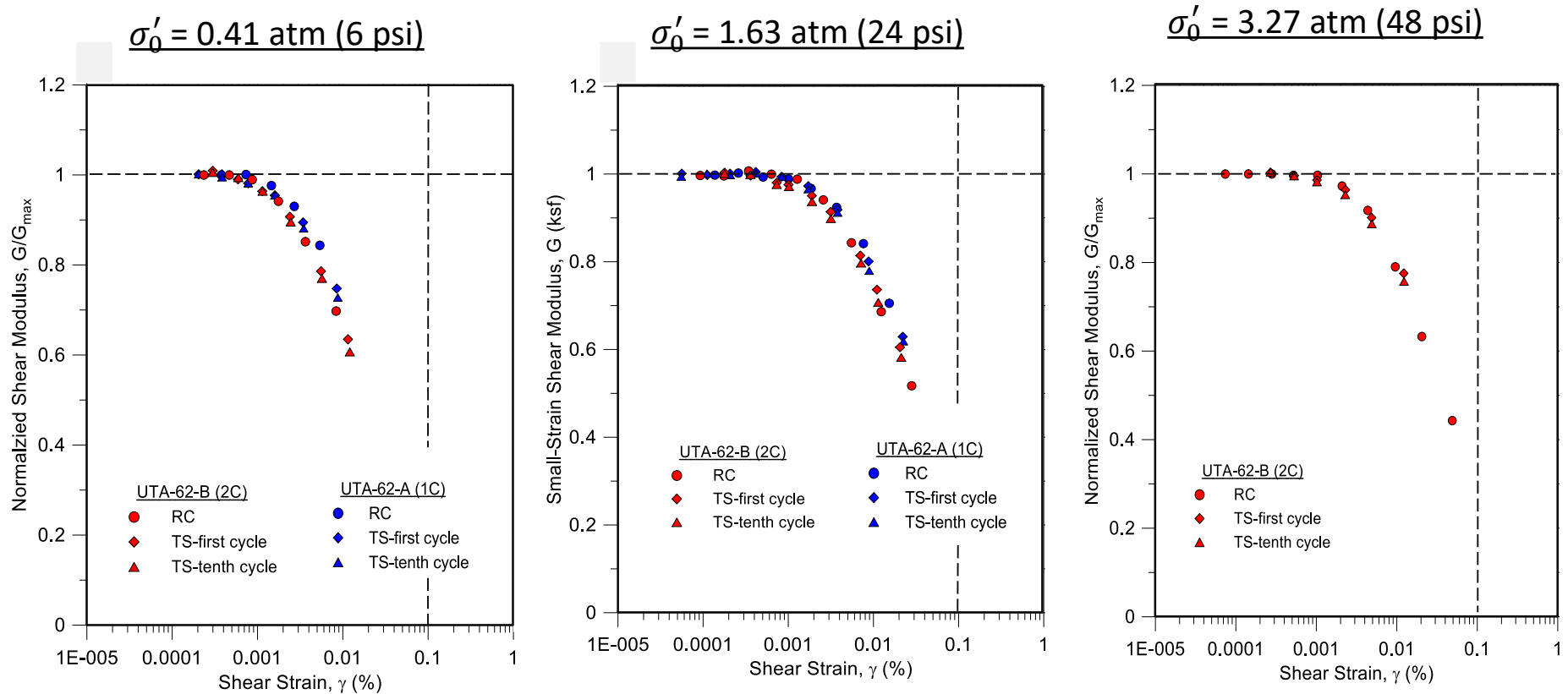
### Evaluated as if RC Test Results



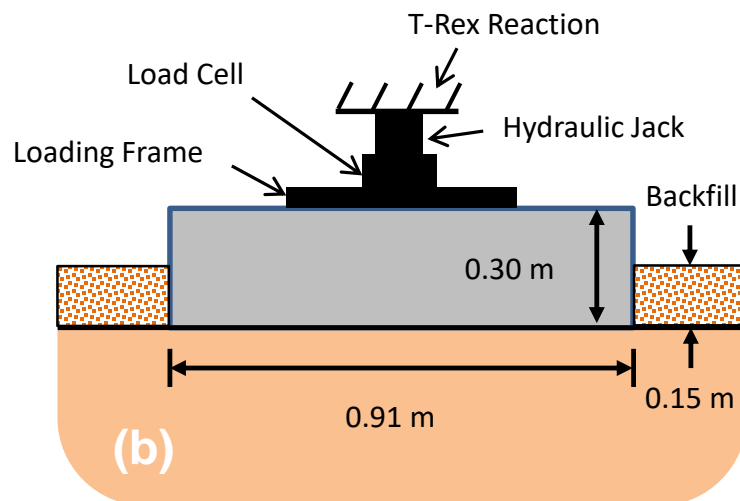
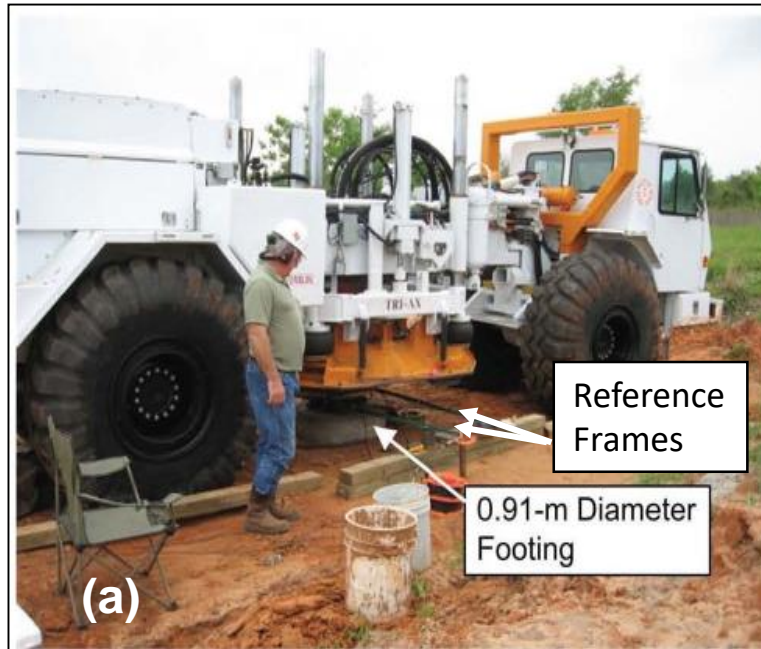
# Characterization of the NGES Test Site

## $G/G_{\max}$ - $\log \gamma$ Relationships from Laboratory RCTS Testing

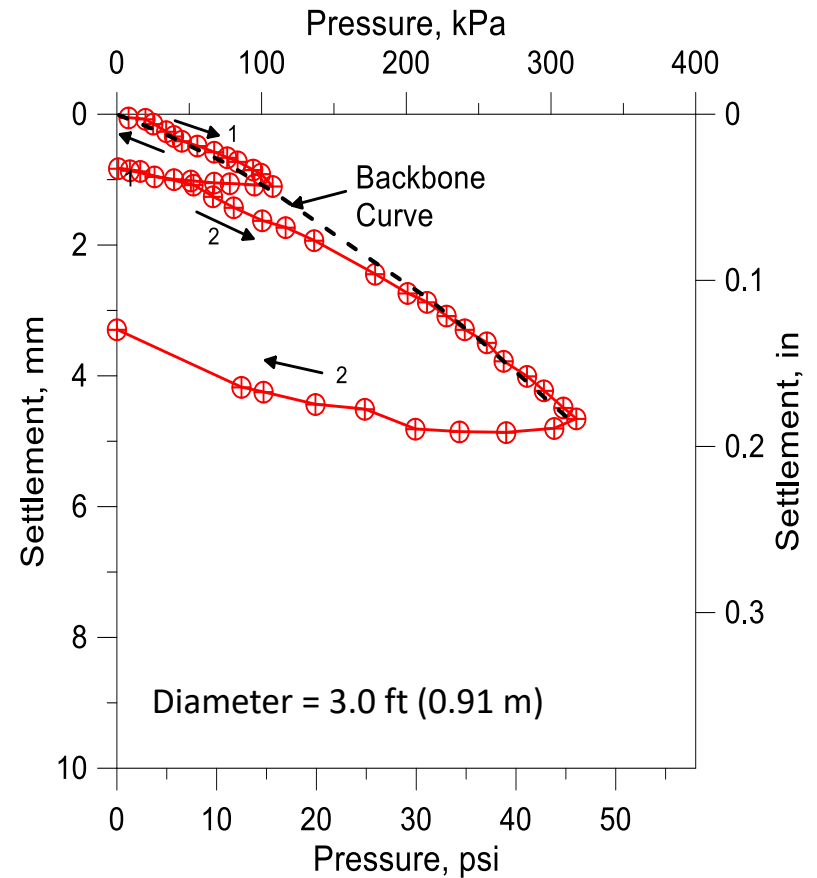
Two, hand-carved, intact specimens



# Load-Settlement Tests at the NGES Test Site



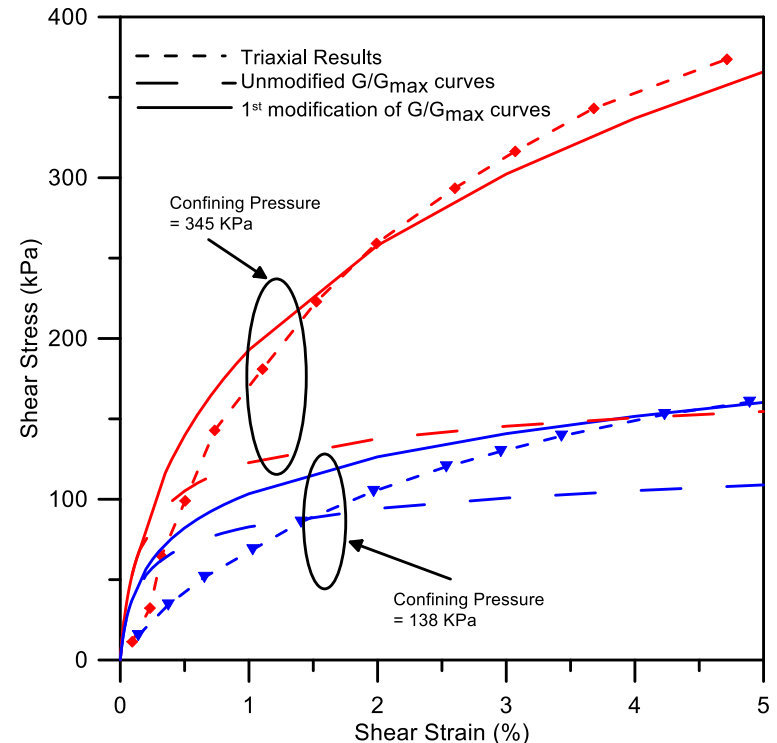
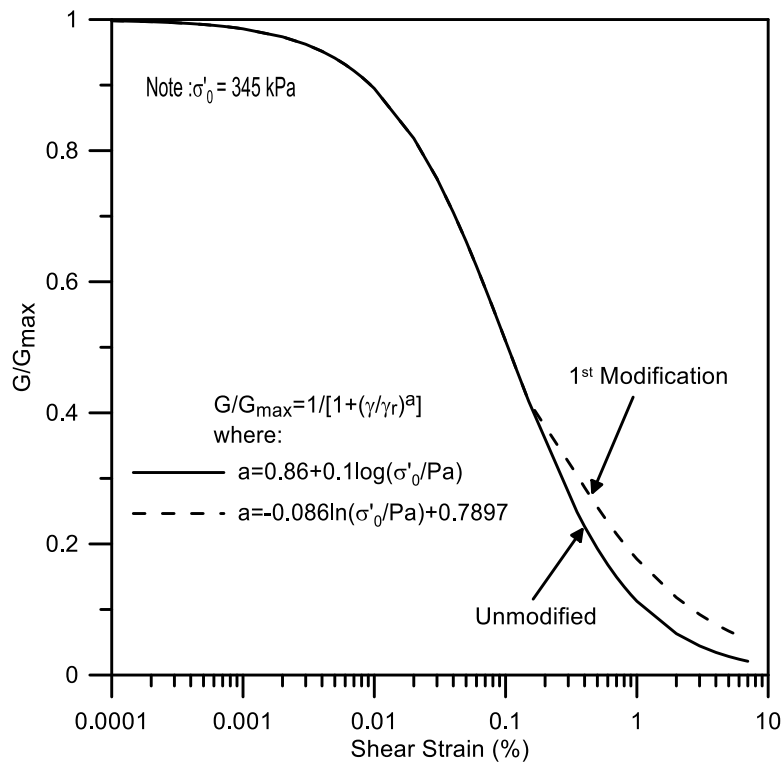
(c) Staged, Load-Settlement Tests (from Park et al., 2009)



# Load-Settlement Predictions with MoDaMP

- The  $G/G_{\max}$  -  $\log \gamma$  curves from RCTS tests are primarily developed over small-to-moderate values of  $\gamma$ , typically less than 0.2 %.
- A two-step procedure is used to modify  $G/G_{\max}$  -  $\log \gamma$  curves at larger strains:

**Step 1:** Adjusting the “a” coefficient at larger strains based on comparing the  $\tau$ - $\gamma$  relationships from the  $G/G_{\max}$  -  $\log \gamma$  curves and triaxial tests.



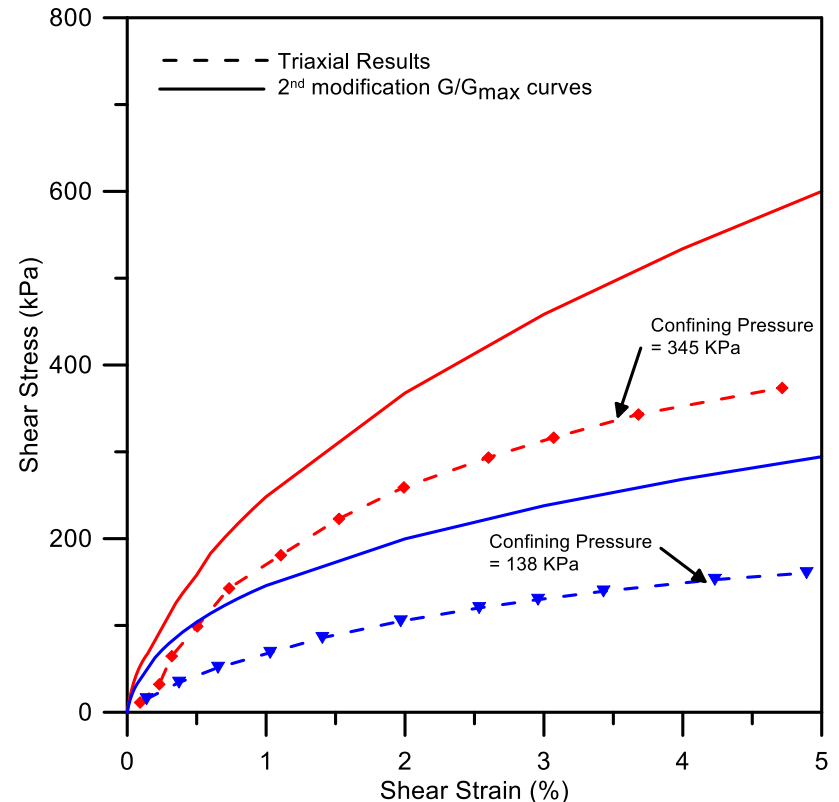
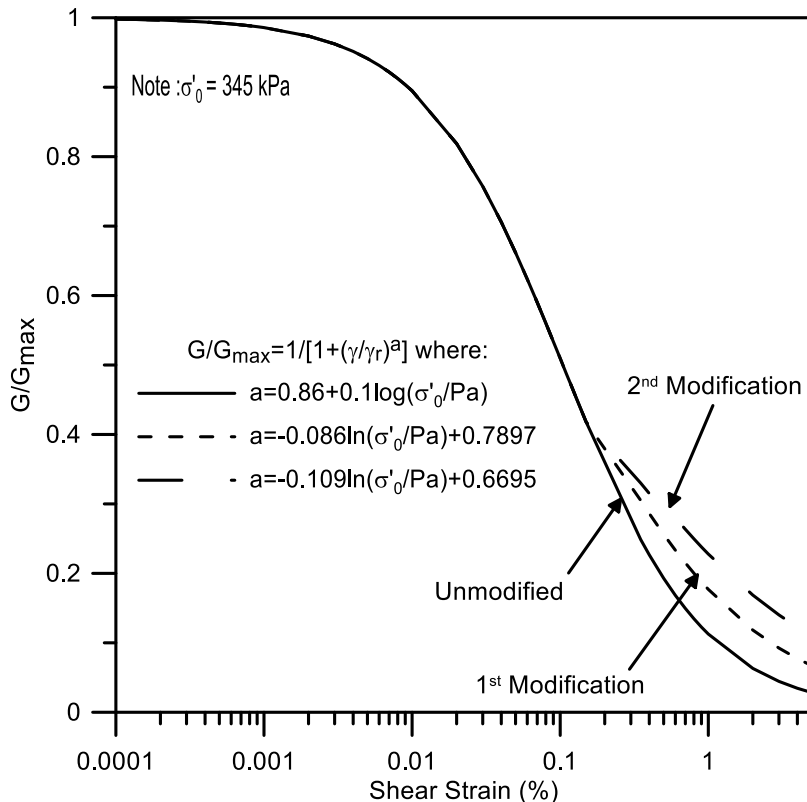


# Load-Settlement Predictions with MoDaMP

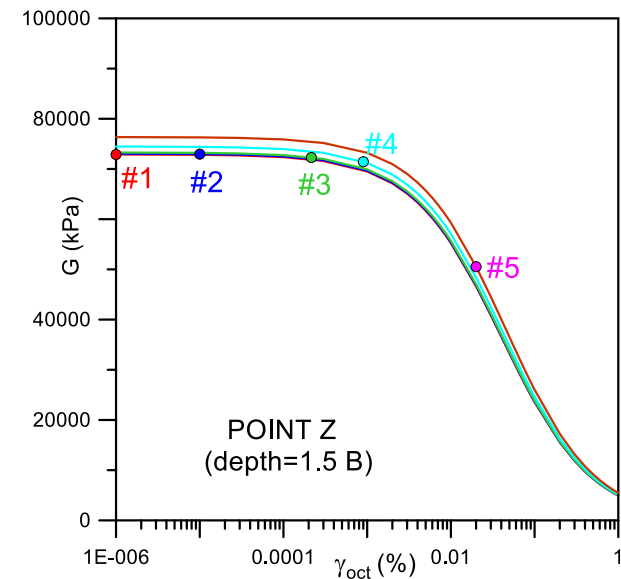
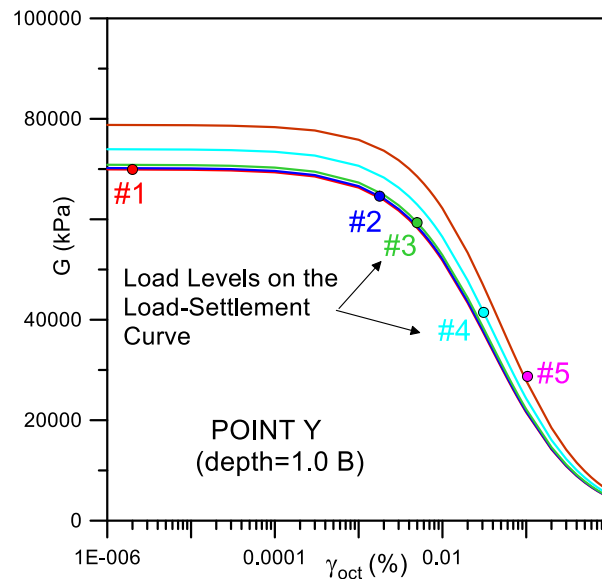
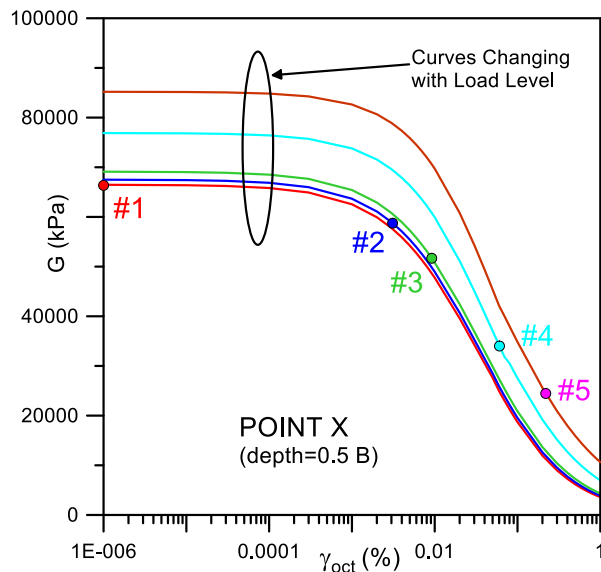
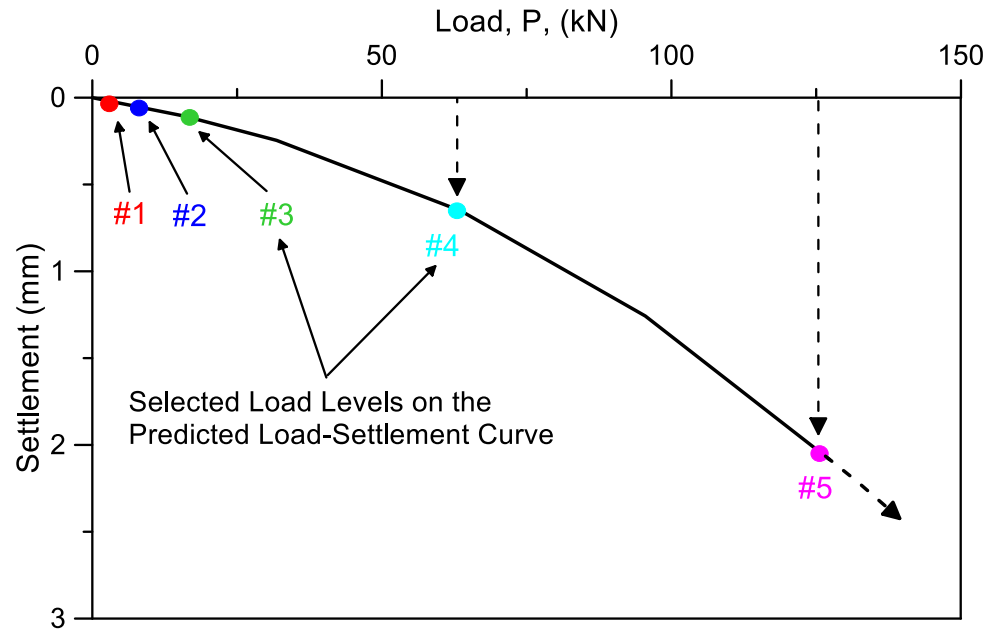
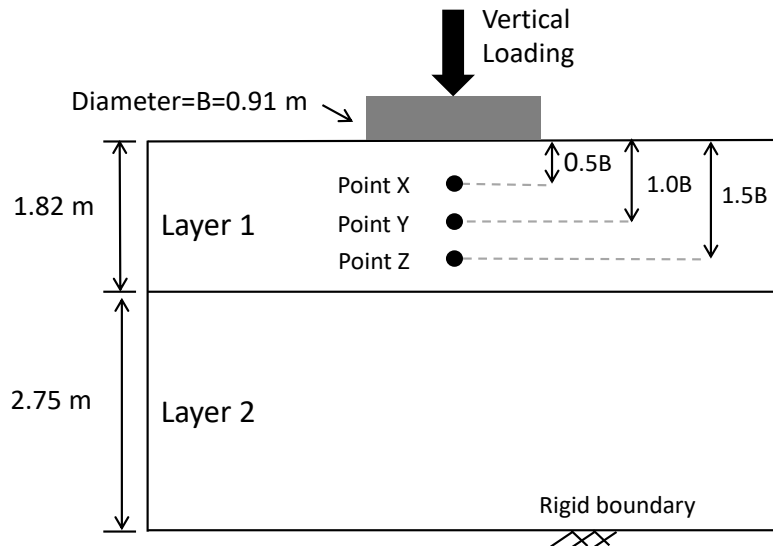
## After Step 1:

- The predicted settlements were higher than the measured settlements.

## Step 2: Adjusting the larger-strain “a” to account for the higher horizontal stresses

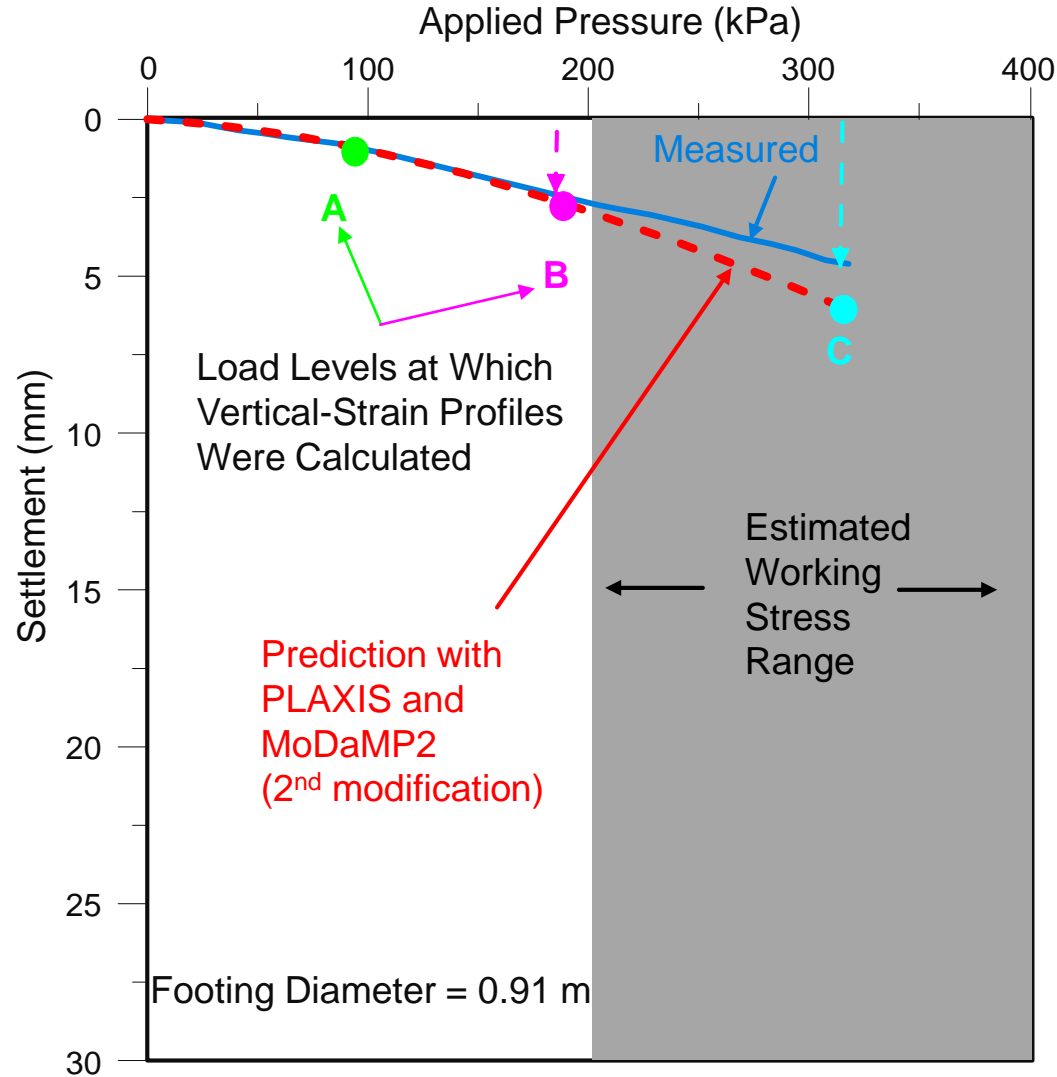


# Example of How MoDaMP Works

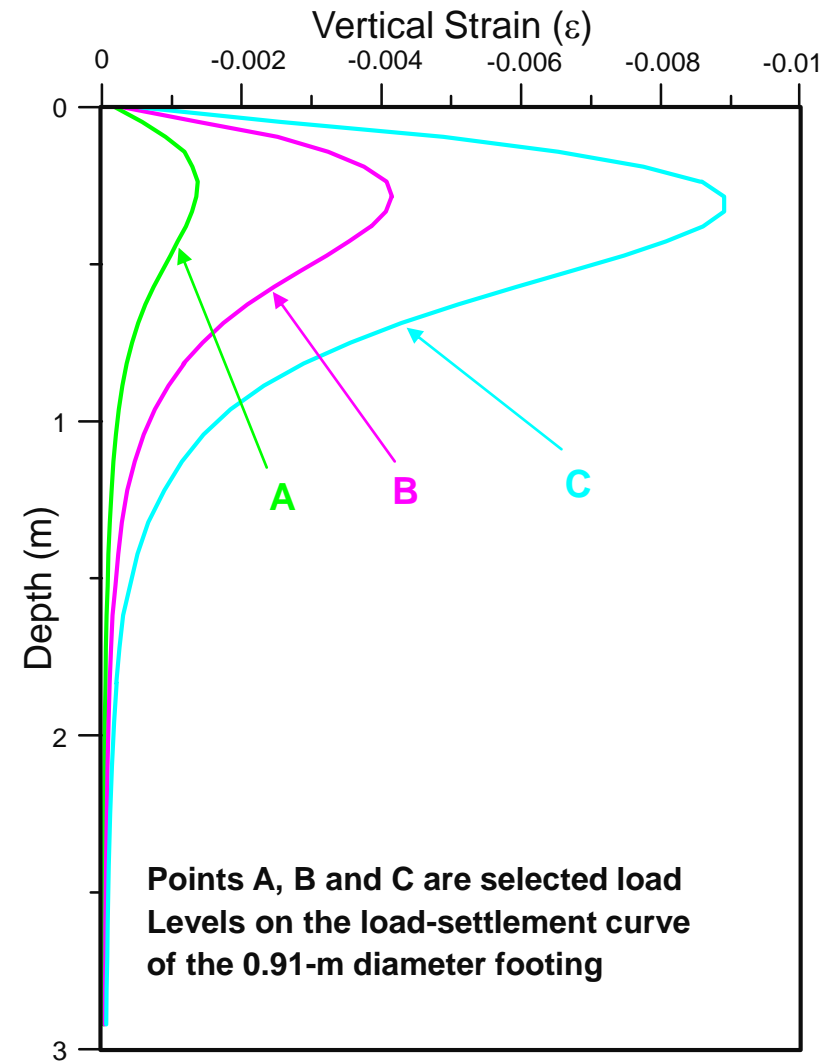


# Load-Settlement Predictions with MoDaMP-2

## 1. Comparison of Predicted and Measured Settlements

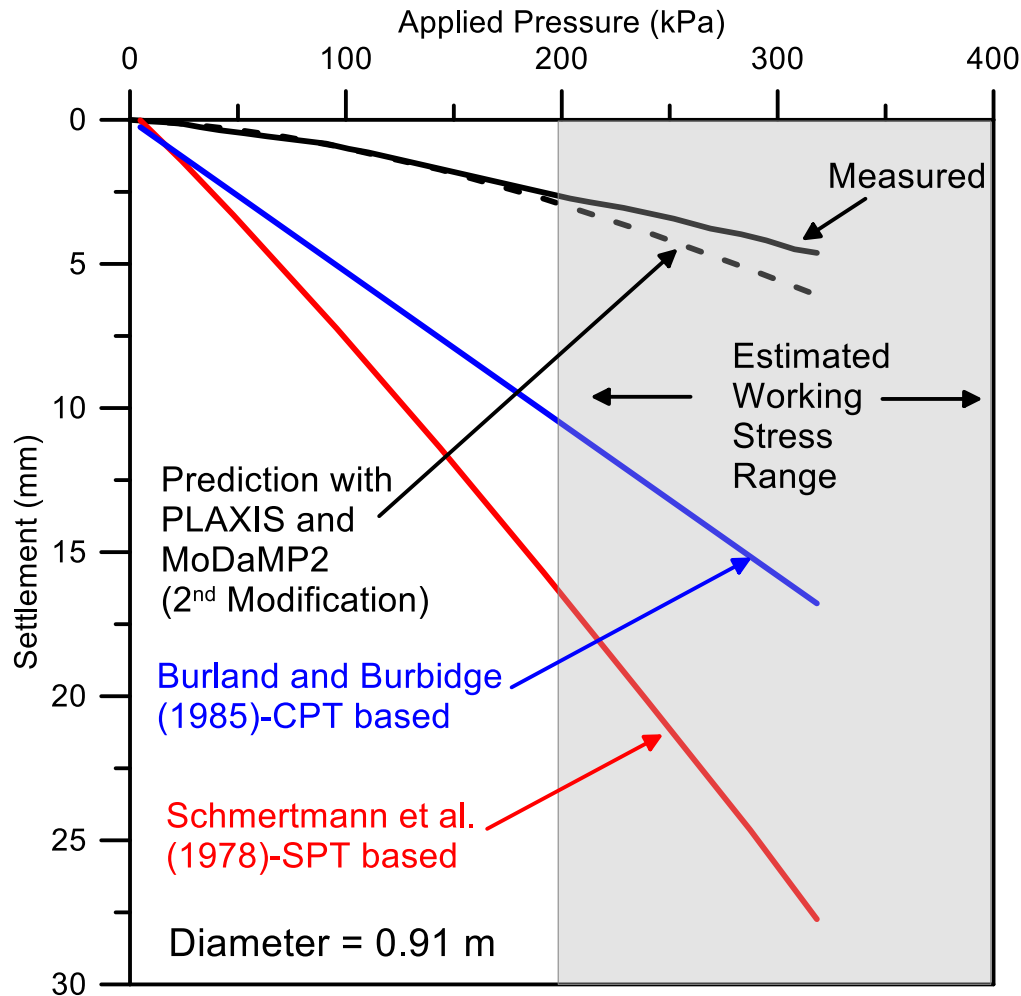


## 2. Predicted Vertical Strains Beneath the Centerline of Footing



# Load-Settlement Predictions with MoDaMP

## Comparison of Predicted Settlements with CPT- and SPT-based Methods



# Conclusions: Framework for Predicting Settlements

1. Field seismic measurements are used to characterize the granular soil in terms of the small-strain shear modulus ( $G_{\max}$ ) profile.
2.  $G_{\max}$  is combined with nonlinear normalized shear modulus-shear strain ( $G/G_{\max}$ - $\log \gamma$ ) relationships that are stress dependent and material dependent.
3. The  $G/G_{\max}$ - $\log \gamma$  relationships are modified following a two-step process to extend them to strains in the range of several percent.
4. Nonlinearity in the load-settlement curves which was measured in the field tests was captured in the predicted settlements.

# Acknowledgements

It is with great pleasure that the writers contribute this paper to the symposium honoring Professor Roy E. Olson. He is an outstanding teacher, researcher, mentor and friend and our interactions with him have enriched our lives.

- Financial support for the field portion of this study was provided through the National Science Foundation under grant CMS-0421275.
- Financial support for the development of the NEES@UTexas Equipment Site was provided by the George E. Brown, Jr. Network for Earthquake Engineering Simulation (NEES) under grant CMS-0086605.
- The writers wish to thank Dr. Thomas Benz and Dr. Lukas Kallivokas for their comments and guidance in implementing of the MoDaMP subroutine.
- The writers also appreciate the comments of the reviewers which helped significantly with content and balance of the article.

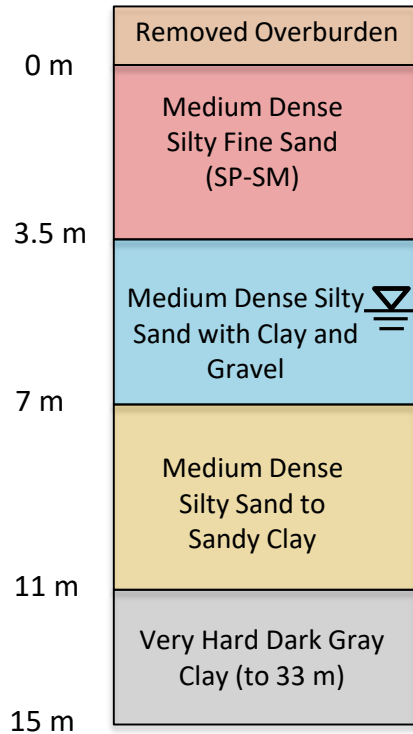




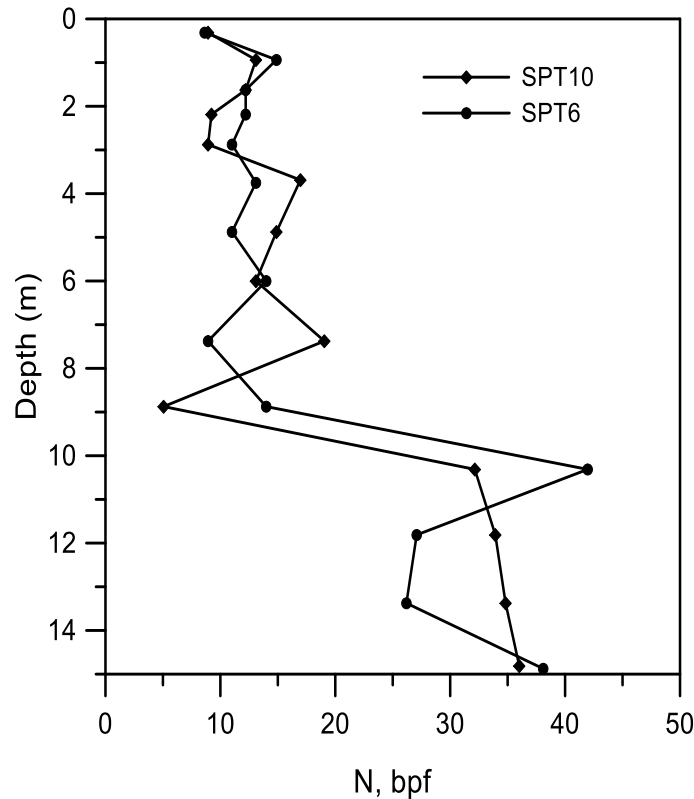


# Soil Conditions at the Texas A&M, NGES\* Test Site

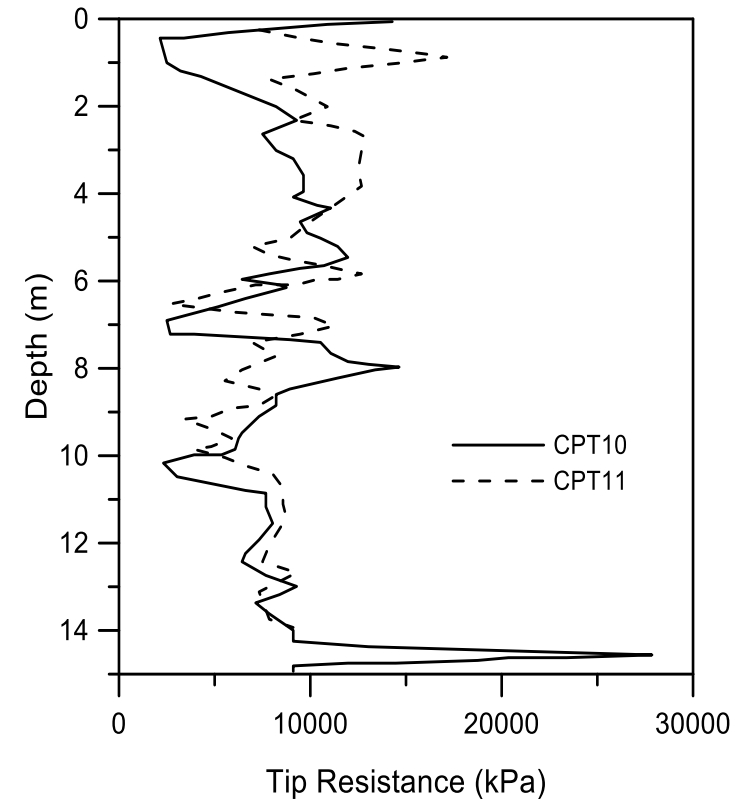
## Soil Profile



## SPT Blow Count



## CPT Tip Resistance



\* NGES = National Geotechnical Experimentation Site